

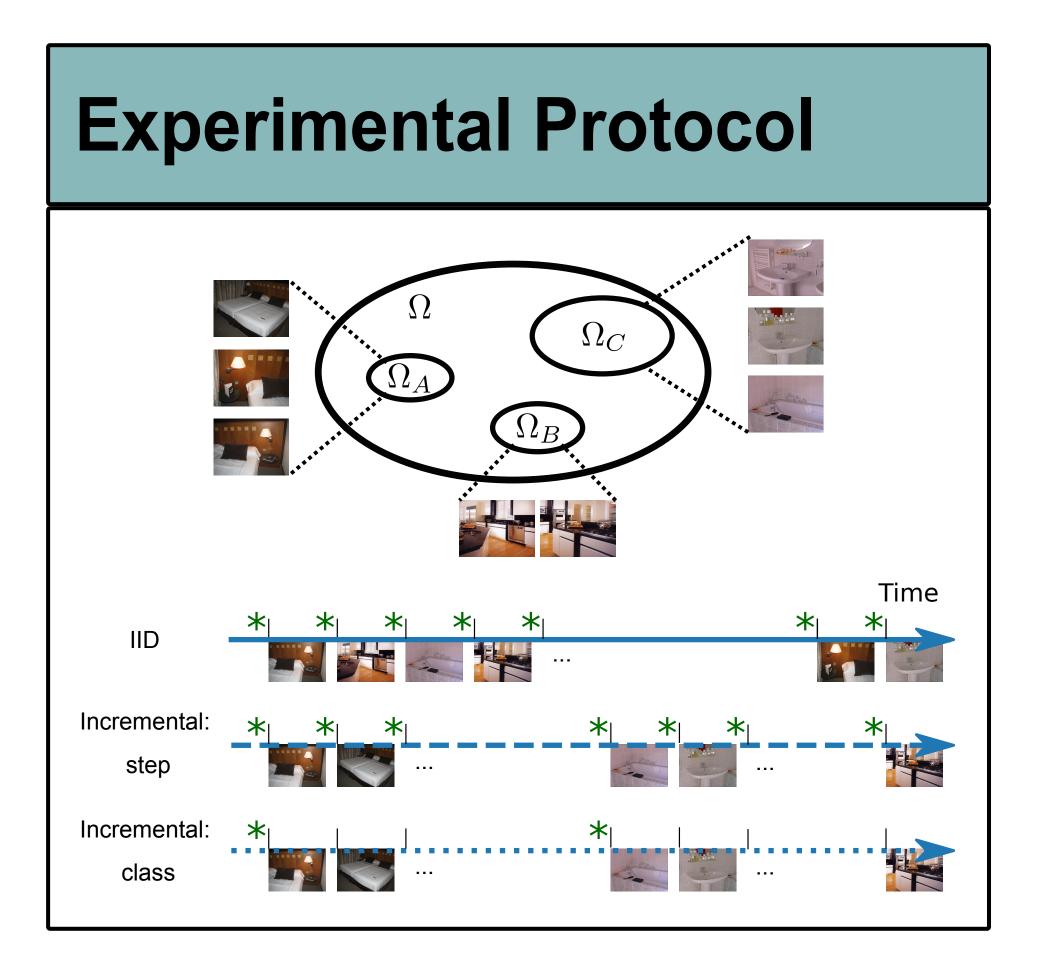
Introduction

General Context: Big datasets and continual learning systems demand online algorithms. In addition, the input data of most embedded systems are not independent and identically distributed (iid), but correlated and non-balanced [1].

Problem: Expectation Maximization is a standard probabilistic method frequently used in the case of latent variables. It has been adapted for online learning with the introduction of a stochastic integration step on the expectation part. However, this algorith is slow and, most importantly, the guarantees of convergence are only valid in the case of iid samples [2]

Solution: We propose to constrain the online Expectation-Maximization on the Fisher distance between the reference parameters and the current update. The reference parameters are updated either at each iteration or by the end of a class [3].

Experiment: We tested our proposal with model data from PPCA, considering iid samples, incremental samples and, in the last one, two protocols to update reference parameters: step wise and class wise. We evaluated our proposal in terms of convergence, consolidation and interference [4].

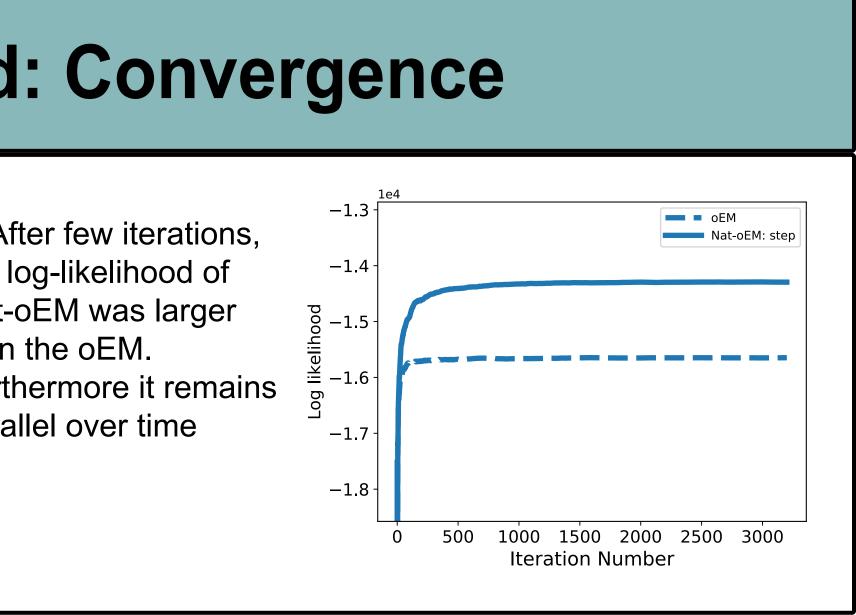


Naturally Constrained Online Expectation Maximization

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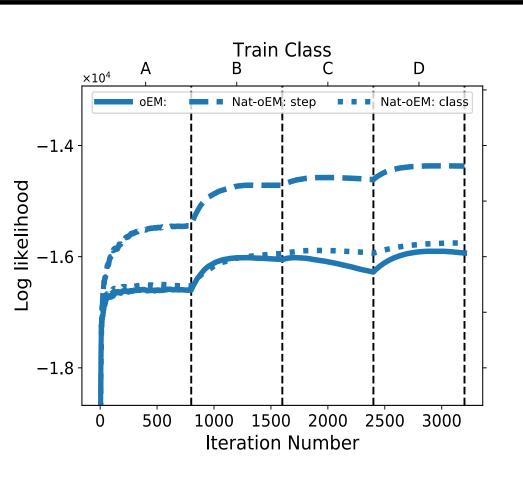
Forr	nalism	
atch	E-step M-step	$Q(\theta, \theta_k) = \mathbb{E}_{Z X, \theta_k} \left[\mathcal{L}(X, Z; \theta_k) \right]$ $\theta_{k+1} = \arg \max_{\theta} Q(\theta, \theta_k)$
nline	Stochastic	$S_{k+1}^{i} = S_{k}^{i} + \gamma \left(s^{i} - S_{k}^{i} \right)$
at-oEM	Regularized θ_k	$_{+1} = \arg \max_{\theta} \left(Q(\theta_k, \theta) - \beta \theta - \theta^* _{F^*} \right)$
lat-	OEM PP	CA
Mode	el:	Data:
$Z \sim \Lambda$	$WZ + \mu + \varepsilon$ $\int (0, \mathbb{I})$ $\int (0, \sigma^2 \mathbb{I})$	A B C D
E-ste Suffi	ep: cient statistics	E-step: Stochastic Integration
$s^1(x, s^2(x, \sigma, N))$	$\mu) = (x - \mu)^T (x - \mu)$ $z) = (x - \mu)z^T$ $M) = \sigma^2 M^{-1} + zz^T$ $(x) = x$	$S_{k+1}^{i} = S_{k}^{i} + \gamma \left(s^{i} - S_{k}^{i}\right)$
		tep:
	$\mu_{k+1} = S^3$ $W_{k+1} = S^1 S^2^-$ $\sigma_{k+1}^2 = \frac{1}{d} (S^0 - \frac{1}{d}) + \frac{1}{d} (S^0 - 1$	
	R-st	tep:
		$BF_{\mu}^{*^{-1}}(\mu_{k+1}-\mu^{*})$



cremental: Convergence

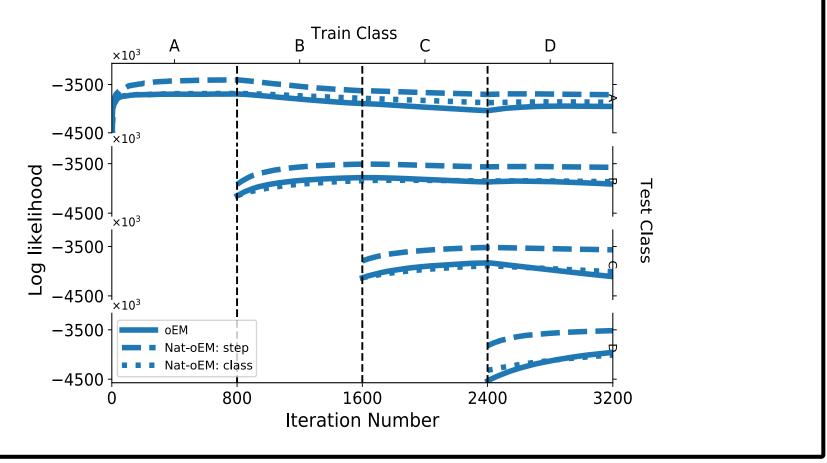
/ithout any constraint overall likelihood reases over time. his outcome is ded with Nat-oEM:

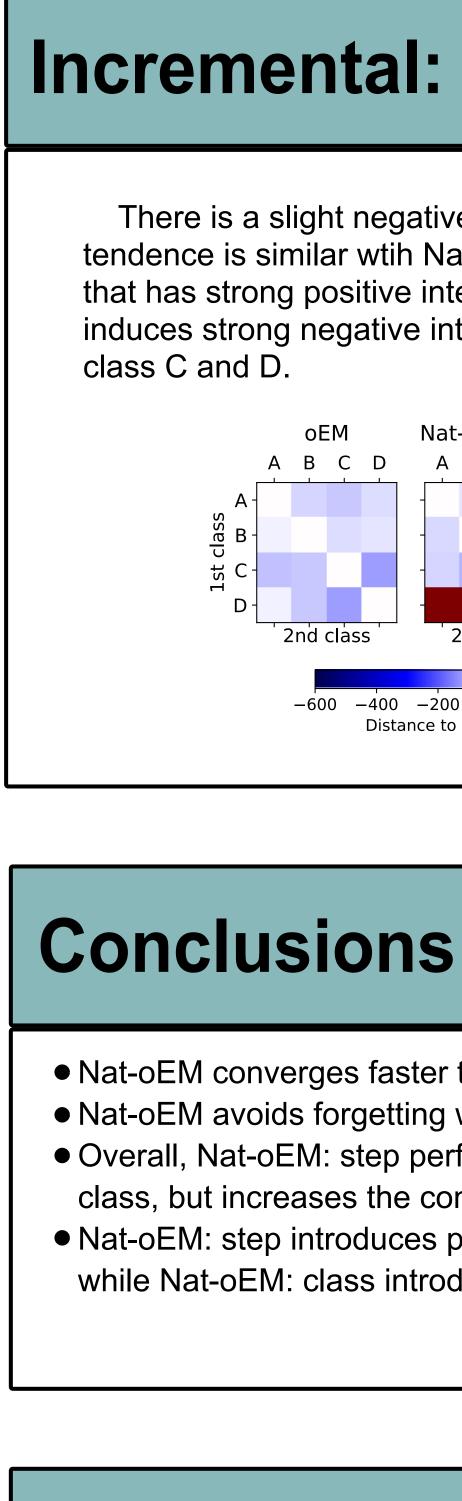
/ith Nat-oEM: step, likelihood is boosted monotonically easing.



cremental: Consolidation

Similarly, the class wise loglikelihood shows that there is getting with oEM, this forgetting is avoided with Nat-oEM: ss and the likelihood is boosted with Nat-oEM: step.





Bibliography & Acknowl.

[1] A. Gepperth and C. Karaoguz, "A Bio-Inspired Incremental Learning Architecture for Applied Perceptual Problems", 2016. [2] O. Cappé and E. Moulines, "Online EM Algorithm for Latent DataModels", 2007. [3] S.-i. Amari, "Natural Gradient Works Efficiently in Learning", 1998 [4] N. Díaz-Rodríguez et al. "Don't forget, there is more than forgetting: new metrics for continual learning", 2018.

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Incremental: Interference There is a slight negative interference with oEM. This tendence is similar wtih Nat-oEM step, except class D that has strong positive interference. Nat-oEM class induces strong negative interference except between Nat-oEM: step Nat-oEM: class ABCD 2nd class 2nd class 200 Distance to learning from scratch

• Nat-oEM converges faster than oEM. Nat-oEM avoids forgetting while oEM does not. • Overall, Nat-oEM: step performance is better than Nat-oEM class, but increases the computational load. • Nat-oEM: step introduces positive interference, while Nat-oEM: class introduces negative.